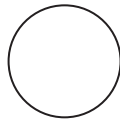
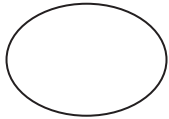




Vocabulary

Review

1. Is a *circle* a two-dimensional figure? Yes / No
2. Is a *circle* a polygon? Yes / No
3. Is every point on a circle the same distance from the center? Yes / No
4. Circle the figure that is a *circle*.



Vocabulary Builder

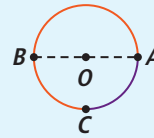
arc (noun) ahrk

Definition: An **arc** is part of a circle.

Related Words: minor arc, major arc, semicircle

Example: Semicircle *AB* is an **arc** of the circle.

Major **arc** *ABC*
Minor **arc** *AC*



Use Your Vocabulary

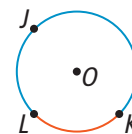
Underline the correct word to complete each sentence.

5. A *minor arc* is larger / smaller than a semicircle.
6. A *major arc* is larger / smaller than a semicircle.
7. You use two / three points to name a *major arc*.
8. You use two / three points to name a *minor arc*.
9. Circle the name of the red *arc*.

\widehat{JK} \widehat{KL} \widehat{LJK} \widehat{LKJ}

10. Circle the name of the blue *arc*.

\widehat{JK} \widehat{KL} \widehat{LJK} \widehat{LKJ}

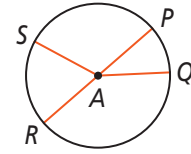




Problem 1 Naming Arcs

Got It? What are the minor arcs of $\odot A$?

Draw a line from each central angle in Column A to its corresponding minor arc in Column B.



- | Column A | Column B |
|--|----------------|
| 11. $\angle PAQ$ | \widehat{RS} |
| 12. $\angle QAR$ | \widehat{SP} |
| 13. $\angle RAS$ | \widehat{PQ} |
| 14. $\angle SAP$ | \widehat{QR} |
| 15. $\angle SAQ$ | \widehat{SQ} |
| 16. The minor arcs of $\odot A$ are <input type="text"/> , <input type="text"/> , <input type="text"/> , <input type="text"/> , and <input type="text"/> . | |



Key Concepts Arc Measure and Postulate 10-2

Arc Measure

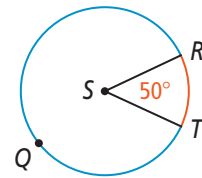
The measure of a minor arc is equal to the measure of its corresponding central angle.

The measure of a major arc is the measure of the related minor arc subtracted from 360.

The measure of a semicircle is 180.

Use $\odot S$ at the right for Exercises 17 and 18.

17. $m\widehat{RT} = m\angle RST = \square$
18. $m\widehat{TQR} = 360 - m\widehat{RT} = 360 - \square = \square$



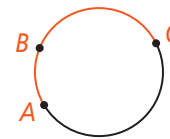
Postulate 10-2 Arc Addition Postulate

The measure of the arc formed by two adjacent arcs is the sum of the measures of the two arcs.

$$m\widehat{ABC} = m\widehat{AB} + m\widehat{BC}$$

Use the circle at the right for Exercises 19 and 20.

19. If $m\widehat{AB} = 40$ and $m\widehat{BC} = 100$, then $m\widehat{ABC} = \square$.
20. If $m\widehat{AB} = x$ and $m\widehat{BC} = y$, then $m\widehat{ABC} = \square$.

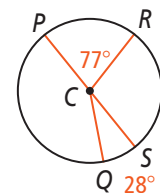


Problem 2 Finding the Measures of Arcs

Got It? What are the measures of \widehat{PR} , \widehat{RS} , \widehat{PRQ} , and \widehat{PQR} in $\odot C$?

Complete.

21. $m\angle PCR = \square$, so $m\widehat{PR} = \square$.



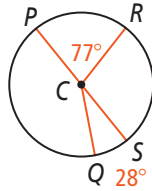
22. $m\angle RCS = m\angle PCS - m\angle PCR$

$= 180 - \square = \square$

23. $m\angle RCS = \square$, so $m\widehat{RS} = \square$.

24. $m\widehat{PRQ} = m\widehat{PR} + m\widehat{RS} + m\widehat{SQ}$
 $= \square + \square + \square = \square$

25. $m\widehat{PQR} = 360 - m\widehat{PR}$
 $= 360 - \square = \square$

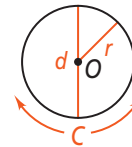


Theorem 10-9 Circumference of a Circle

The circumference of a circle is π times the diameter.

$C = \pi d$ or $C = 2\pi r$

26. Explain why you can use either $C = \pi d$ or $C = 2\pi r$ to find the circumference of a circle.





Problem 3 Finding a Distance

Got It? A car has a circular turning radius of 16.1 ft. The distance between the two front tires is 4.7 ft. How much farther does a tire on the outside of the turn travel than a tire on the inside?

27. The two circles have the same center. To find the radius of the inner circle, do you *add* or *subtract*?

Complete.

28. radius of outer circle = \square

radius of inner circle = $\square - 4.7 = \square$

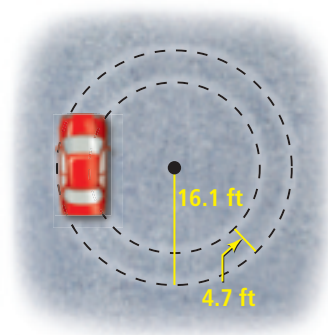
29. circumference of outer circle = $2\pi r = 2\pi \cdot \square = \square \cdot \pi$

circumference of inner circle = $2\pi r = 2\pi \cdot \square = \square \cdot \pi$

30. Find the differences in the two distances traveled. Use a calculator.

$\square \cdot \pi - \square \cdot \pi = \square \cdot \pi$
 $\approx \square$

31. A tire on the outer circle travels about \square ft farther.



Theorem 10-10 Arc Length

The length of an arc of a circle is the product of the ratio $\frac{\text{measure of the arc}}{360}$ and the circumference of the circle.

32. Complete the formula below.

$$\text{length of } \boxed{} = \frac{m\widehat{AB}}{360} \cdot 2\pi r = \frac{m\widehat{AB}}{360} \cdot \pi d$$

Write T for *true* or F for *false*.

33. The length of an arc is a fraction of the circumference of a circle.

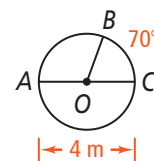
34. In $\odot O$, $m\widehat{AB} = m\angle AOB$.



Lesson Check • Do you UNDERSTAND?

Error Analysis Your class must find the length of \widehat{AB} . A classmate submits the following solution. What is the error?

~~$$\begin{aligned} \text{Length of } \widehat{AB} &= \frac{m\widehat{AB}}{360} \cdot 2\pi r \\ &= \frac{110}{360} \cdot 2\pi(4) \\ &= \frac{22}{9}\pi \text{ m} \end{aligned}$$~~



35. Is \widehat{AC} a semicircle?

Yes / No

36. Does $m\widehat{AB} = 180 - 70 = 110$?

Yes / No

37. Is the length of the radius 4?

Yes / No

38. What is the error?



Math Success

Check off the vocabulary words that you understand.

circle

minor arc

major arc

circumference

Rate how well you can use *central angles*, *arcs*, and *circumference*.

Need to review

0 2 4 6 8 10



Now I get it!