Reflections

Vocabulary

Review

1. Circle the *translation* rule that shows a mapping 2 units left and 1 unit up. Underline the translation rule that shows a mapping 2 units right and 1 unit down.

 $(x, y) \rightarrow (x - 2, y + 1)$ $(x, y) \rightarrow (x + 2, y - 1)$ $(x, y) \rightarrow (x - 2, y - 1)$

• Vocabulary Builder

reflection (noun) rih FLEK shun

Related Words: line of reflection

Definition: A **reflection** is a mirror image of an object that has the same size and shape but an opposite orientation.

Math Usage: A **reflection** is a transformation where each point on the preimage is the same distance from the line of reflection as its **reflection** image.

• Use Your Vocabulary

Write T for true or F for false.

- 2. A *reflection* is the same shape as the original figure.
- **3.** A *reflection* makes a figure larger.



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Problem 3 Minimizing a Distance

Got lt? Reasoning The diagram shows one solution of the problem below. Your classmate began to solve the problem by reflecting point *R* across line *t*. Will her method work? Explain.

Beginning from a point on Summit Trail (line *t*), a hiking club will build a trail to the Overlook (point *O*) and a trail to Balance Rock (point *R*). The club members want to minimize the total length of the two trails. How can you find the point on Summit Trail where the two new trails should start?



You need to find the point *P* on line *t* such that the distance OP + PR is as small as possible. In the diagram, the problem was solved by locating *O'*, the reflection image of *O* across *t*. Because *t* is the perpendicular bisector of $\overline{OO'}$, PO = PO', and OP + PR = O'P + PR. By the Triangle Inequality Theorem, the sum O'P + PR is least when *R*, *P*, and *O'* are collinear. So, the trails should start at the point *P* where $\overline{RO'}$ intersects line *t*.

Place a \checkmark in the box if the response is correct. Place an \checkmark if it is incorrect.

18. When point *R* is reflected across line *t*, *t* is the perpendicular bisector of $\overline{RR'}$.

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- **19.** $PR \neq PR'$
- **20.** RP + PO = R'P + PO
- **21.** Points *O*, *P*, and *R*' are NOT collinear.
- **22.** The trails should start at the point *P* where $\overline{OR'}$ intersects *t*.
- **23.** Reflect *R* across line *t* in the diagram at the right. Label the reflection R'.
- **24.** Draw $\overline{RR'}$.
- **25.** Draw $\overline{R'O}$.
- **26.** Label the point where $\overline{R'O}$ intersects line *t* as point *P*. Draw \overline{PR} .
- **27.** What do you notice about point *P* after reflecting *R* across line *t*?



28. Will your classmate's method work? Explain.



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