Rotations

# Vocabulary

#### Review

- The diagram at the right shows the reflection of point *A* across a *line of reflection*. Draw the *line of reflection*.
- **2.** Circle the equation of the *line of reflection* in the diagram above.



 $x = 1 \qquad \qquad y = 1 \qquad \qquad x = 2 \qquad \qquad y = 2$ 

#### Vocabulary Builder

rotation (noun) roh TAY shun
Definition: A rotation is a spinning motion that turns a figure about a point or a line.
Related Words: center of rotation, axis of rotation
Math Usage: A rotation about a point is a transformation that turns a figure clockwise or counterclockwise a given number of degrees.
Use Your Vocabulary
Complete each statement with *always, sometimes,* or *never*.
The *rotation* of the moon about Earth <u>?</u> takes a year.

- **4.** A *rotation* image <u>?</u> has the same orientation as the preimage.
- **5.** A transformation is <u>?</u> a *rotation*.
- **6.** A *rotation* is <u>?</u> a transformation.
- **7.** A 110° counterclockwise *rotation* is the same as a 250° clockwise *rotation* about the same point.





### Problem 1 Drawing a Rotation Image

**Got It?** What is the image of  $\triangle LOB$  for a 50° rotation about *B*?

**11.** Describe the image of *B*.



- **12.** Follow the steps below to draw a rotation image.
  - **Step 1** Use a protractor to draw a 50° counterclockwise angle with vertex *B* and side  $\overline{BO}$ .
  - **Step 2** Use a compass to construct  $\overline{BO'} \cong \overline{BO}$ .
  - **Step 3** Use a protractor to draw a 50° angle with vertex *B* and side  $\overline{BL}$ .

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- **Step 4** Use a compass to construct  $\overline{BL'} \cong \overline{BL}$ .
- **Step 5** Draw  $\triangle L'O'B'$ .

The **center of a regular polygon** is the point that is equidistant from its vertices. The center and the vertices of a regular *n*-gon determine *n* congruent triangles.

**13.** The center and the vertices of a square determine congruent triangles.

## Problem 2 Identifying a Rotation Image **Got It?** Point *X* is the center of regular pentagon *PENTA*. What is the image of *E* for a 144° rotation about *X*? **14.** The center and vertices divide *PENTA* into congruent triangles. **15.** Divide $360^{\circ}$ by to find the measure of each central angle. **16.** Each central angle measures Underline the correct word to complete each sentence. **17.** A 144° rotation is one / two / three times the rotation of the measure in Exercise 16. **18.** A 144° rotation moves each vertex counterclockwise two / three vertices. **19.** Circle the image of *E* for a $144^{\circ}$ rotation about *X*. Р E NТ Α Problem 3 Finding an Angle of Rotation **Got It?** Hubcaps of car wheels often have interesting designs that involve rotations. What is the angle of rotation about C that maps M to Q?

20. The hubcap design has spokes that divide the circle into congruent parts. 21. The angle at the center of each part is  $360^\circ \div = 200^\circ$ . 22. As *M* rotates counterclockwise about *C* to *Q*, *M* touches spokes. 23. As *M* rotates counterclockwise about *C* to *Q*, *M* rotates through  $\int_{0}^{0} \int_{0}^{0} \int_$ 

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**24.** The angle of rotation about *C* that maps *M* to *Q* is

**Chapter 9** 

## Problem 4 Finding a Composition of Rotations

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Need to

review

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Now I

get it!

